CMSC 313 Spring 2024 Quiz 1

Full Name Student ID _____

For every exercise, show your work. Not showing complete work will result in penalties. For exercises that require you to change a base within the problem, you must show your work for the conversion, regardless of how short the number is, unless specified. If you have an opportunity to use the conversion shortcut taught in class/on the slides, you can use it. For exercises that require you to change a base within the problem, you <u>must identify the base in your final solution</u>. "0x" counts as base identification for hexadecimal. Box your final answer.

Exercise 1. (10 pts) Convert 1010.101_2 to decimal (base 10).

$$= 1 \times 2^{3} + 0 \times 2^{2} + 1 \times 2^{1} + 0 \times 2^{0} + 1 \times 2^{-1} + 0 \times 2^{-2} + 1 \times 2^{-3}$$
$$= 8 + 2 + 0.5 + 0.125$$
$$\boxed{10.625_{10}}$$

Rubric:

- (-2 pts) 5/8 fraction instead of decimal
- (-3 pts) no base or wrong base subscript
- (-5 pts) whole number (left of decimal) incorrect
- (-5 pts) fractional number (right of decimal) incorrect

Exercise 2. (10 pts) Convert 189.4_{10} to binary (base 2).

$$\begin{split} &189/2 = 94 \ R \ 1 \ (LSB) \\ &94/2 = 47 \ R \ 0 \\ &47/2 = 23 \ R \ 1 \\ &23/2 = 11 \ R \ 1 \\ &11/2 = 5 \ R \ 1 \\ &5/2 = 2 \ R \ 1 \\ &5/2 = 2 \ R \ 1 \\ &2/2 = 1 \ R \ 0 \\ &1/2 = 0 \ R \ 1 \ (MSB) \\ &0.4 \times 2 = 0.8 \ | \ 0 (MSB) \\ &0.8 \times 2 = 1.6 \ | \ 1 (MSB) \\ &0.6 \times 2 = 1.2 \ | \ 1 (MSB) \\ &0.2 \times 2 = 0.4 \ | \ 0 (MSB) \end{split}$$

$10111101.\overline{0110}_2$

Rubric:

• (-2 pts) fractional part correct, but bar over wrong part

- (-3 pts) no base or wrong base subscript
- (-5 pts) whole number (left of decimal) incorrect
- (-5 pts) fractional number (right of decimal) incorrect

Exercise 3. (10 pts) Convert 1000101110101101101101101101 $_2$ to hexadecimal (base 16).

0x8BADFOOD

Rubric:

- (-3 pts) missing base (0x or _16) or wrong base subscript
- (-1 pts) each wrong digit
- (-10 pts) if all digits wrong

Exercise 4. Compute the following using 2's complement with 8 bits. Leave your answer in 2's complement form. You may need to convert to 2s complement. If the result needs more than 8 bits to compute, write "OVERFLOW". If a computation will overflow, show either a) why the sum is out of bounds (using > or < sign) or b) that the Positive+Positive=Negative or Negative+Negative=Positive rule holds.

a) (5pts) $00110100_2 + 01010110_2$

OVERFLOW

Rubric:

- (-5 pts) does not say overflow
- (full pts) says overflow anywhere
- no partial credit
- b) (5pts) $00110100_2 01010110_2$

 11011110_2

Rubric:

- (full pts) no need for base
- no partial credit